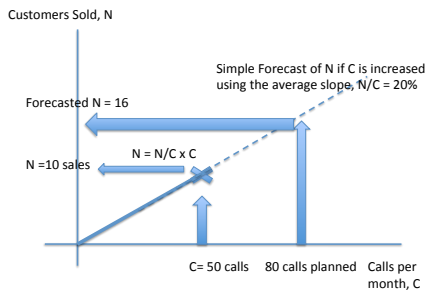


Review Average and Incremental Changes

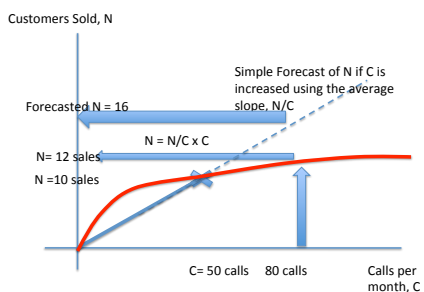
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Using average Rates to forecast

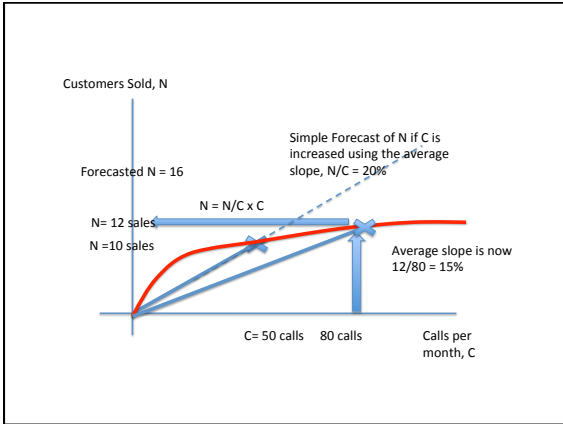
- Last month you made $C=50$ sales calls and made $N=10$ new customers
- Your average rate of sales per call is $N/C = 50/10 = 20\%$
- If you made a simple prediction on the results of working harder and making 80 calls a month, then you should get 16 sales
- $N = (N/C) \times C = 20\% \times 80 = 16$



- We do not expect sales to continue in a straight line along the average sales to call rate
- Theory would suggest a curve of diminishing returns

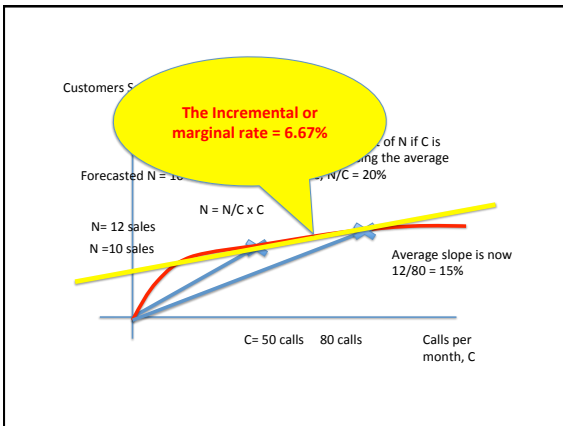


- The actual number of sales for making 80 calls a month is 12 sales (**NOT 18 as forecasted**)
- The average rate of sales per call is now $N/C = 80/12 = 15\%$



Incremental rate is the $\Delta N/\Delta C = 2/30 = 6.67\%$

The incremental rate of change from one point on the sales response curve to another is closer to 6.67%



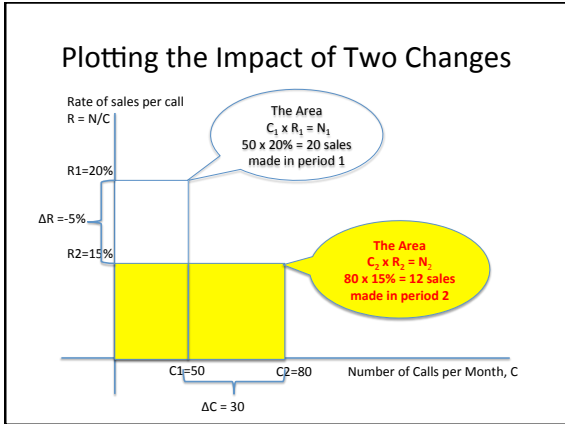
- Marginal Rates are more accurate than Average rates
- Managers are more interested in Marginal or Incremental changes than they are in Average Rates of Change

Impact Analysis of Working Harder and Smarter

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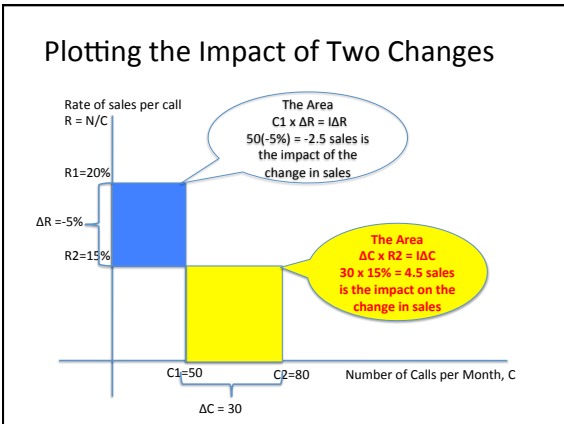
- The concept of 'Working Harder' is reflected in the idea of making more calls per month
- The concept of 'Working Smarter' is reflected in the idea of making each call more productive and improving the sales per call rate
-

- Put the number of calls per month, C, on the x-axis
- Put the rate of sales per call, $R = N/C$ on the Y-axis
- The number of sales is calculated as the area
- $N = R \times C$
-



- ### Impact of Change on Sales
- The impact of the change in calls, ΔC , on the change in number of sales, ΔN , is
 - $\Delta C = R_{\min 1,2}(\Delta C) = R_{\min 1,2}(C_2 - C_1)$
 - The minimum of the two rates is 15%
 - $\Delta C = 15\%(80-50) = 15\%(30) = 4.5$ sales

- ### Impact of Change on Sales
- The impact of the change in sales per call rate, ΔR , on the change in number of sales, ΔN , is
 - $\Delta R = C_{\min 1,2}(\Delta R) = C_{\min 1,2}(R_2 - R_1)$
 - The minimum of the two call volumes is 50
 - $\Delta R = 50(15\% - 20\%) = 50(-5\%) = -2.5$ sales



- ### Impact of Change on Sales
- There is Zero Joint Impact
 - The sum of the two impact must equal the change in sales
 - $\Delta R + \Delta C = \Delta N$
 - -2.5 sales + 4.5 sales = $+2$ sales
 - Sales increased because working harder had more impact on sales than the loss of sales efficiency.

Change in Two Variables in The Operating Statement

Ted Mitchell

- A firm has had two changes in its operations from period 1 to period 2
- 1) It has a \$10 reduction in variable cost per unit
- 2) It has a reduction in its marketing expenses (i.e., budget of \$150)

Change in Marketing Expense and Variable Cost Reduces Gross Profit by \$200 and Net Profit by \$50

	Period 1, P1	Period 2, P2	$\Delta=P2-P1$
Selling Price, P	\$90	\$90	\$0
Quantity Sold, Q	100	80	(20)
Revenue, $R = P \times Q$	\$9,000	\$7,200	(\$1,800)
Variable Cost, V	\$40	\$30	(\$10)
\$ Markup, $D = P - V$	\$50	\$60	\$10
COGS = $V \times Q$	\$4,000	\$2,400	(\$1,600)
Gross Profit, $G = R - \text{COGS}$	\$5,000	\$4,800	(\$200)
Marketing Expense, ME	\$2,000	\$1,850	(\$150)
Marketing Profit, M	\$3,000	\$2,950	(\$50)
General Overheads, OH	\$500	\$500	\$0
Net Profit, Z	\$2,500	\$2,450	(\$50)

Change in Marketing Expense and Variable Cost Reduces Gross Profit by \$200 and Net Profit by \$50

	Period 1, P1	Period 2, P2	$\Delta=P2-P1$
Selling Price, P	\$90	\$90	\$0
Quantity Sold, Q	100	80	(20)
Revenue, $R = P \times Q$	\$9,000	\$7,200	(\$1,800)
Variable Cost, V	\$40	\$30	(\$10)
\$ Markup, $D = P - V$	\$50	\$60	\$10
COGS = $V \times Q$	\$4,000	\$2,400	(\$1,600)
Gross Profit, $G = R - \text{COGS}$	\$5,000	\$4,800	(\$200)
Marketing Expense, ME	\$2,000	\$1,850	(\$150)
Marketing Profit, M	\$3,000	\$2,950	(\$50)
General Overheads, OH	\$500	\$500	\$0
Net Profit, Z	\$2,500	\$2,450	(\$50)

THE DROP OF \$10 IN VARIABLE COST PER UNIT HAD A DIRECT IMPACT ON INCREASING THE DOLLAR MARKUP AND GROSS PROFIT

Change in Marketing Expense and Variable Cost Reduces Gross Profit by \$200 and Net Profit by \$50

	Period 1, P1	Period 2, P2	$\Delta=P2-P1$
Selling Price, P	\$90	\$90	\$0
Quantity Sold, Q	100	80	(20)
Revenue, $R = P \times Q$	\$9,000	\$7,200	(\$1,800)
Variable Cost, V	\$40	\$30	(\$10)
\$ Markup, $D = P - V$	\$50	\$60	\$10
COGS = $V \times Q$	\$4,000	\$2,400	(\$1,600)
Gross Profit, $G = R - \text{COGS}$	\$5,000	\$4,800	(\$200)
Marketing Expense, ME	\$2,000	\$1,850	(\$150)
Marketing Profit, M	\$3,000	\$2,950	(\$50)
General Overheads, OH	\$500	\$500	\$0
Net Profit, Z	\$2,500	\$2,450	(\$50)

THE DROP OF \$150 IN MARKETING EXPENSE HAD DIRECT IMPACT ON INCREASING THE NET PROFIT BY \$150

Change in Marketing Expense and Variable Cost Reduces Gross Profit by \$200 and Net Profit by \$50

	Period 1, P1	Period 2, P2	$\Delta=P2-P1$
Selling Price, P	\$90	\$90	\$0
Quantity Sold, Q	100	80	(20)
Revenue, $R = P \times Q$	\$9,000	\$7,200	(\$1,800)
Variable Cost, V	\$40	\$30	(\$10)
\$ Markup, $D = P - V$	\$50	\$60	\$10
COGS = $V \times Q$	\$4,000	\$2,400	(\$1,600)
Gross Profit, $G = R - \text{COGS}$	\$5,000	\$4,800	(\$200)
Marketing Expense, ME	\$2,000	\$1,850	(\$150)
Marketing Profit, M	\$3,000	\$2,950	(\$50)
General Overheads, OH	\$500	\$500	\$0
Net Profit, Z	\$2,500	\$2,450	(\$50)

THE DROP OF \$150 IN MARKETING EXPENSE HAD AN INDIRECT IMPACT ON DECREASING THE QUANTITY SOLD BY 20 UNITS

Change in Marketing Expense and Variable Cost Reduces
Gross Profit by \$200 and Net Profit by \$50

	Period 1, P1	Period 2, P2	$\Delta = P2 - P1$
Selling Price, P	\$90	\$90	\$0
Quantity Sold, Q	100	80	(20)
Revenue, $R = P \times Q$	\$9,000	\$7,200	(\$1,800)
Variable Cost, V	\$40	\$30	(\$10)
\$ Markup, $D = P - V$	\$50	\$60	\$10
COGS = $V \times Q$	\$4,000	\$2,400	(\$1,600)
Gross Profit, $G = R - \text{COGS}$	\$5,000	\$4,800	(\$200)
Marketing Expense	\$500	\$450	(\$50)
Net Profit	\$2,950	\$2,450	(\$500)

THE LOSS OF 20 UNITS IN SALES HAD DIRECT IMPACT ON DECREASING THE REVENUE, COST OF GOODS SOLD AND THE GROSS PROFIT

Classic Marketing Problem

- We can see that the reduction in marketing costs improved the net profit by \$150
- We can see that the reduction in variable cost per unit had a dollar impact on gross profit
- **BUT**
- What was the dollar impact on the gross profit caused by the change in the quantity sold?

- The reduction in marketing effort caused a loss of 20 units in sales volume
- Can NOT directly compare quantity changes and dollar change
- What was the dollar impact of this loss in quantity sold on gross profit?

- Decomposing the \$50 reduction in net profit into the two individual effects is best accomplished by first decomposing the \$200 dollar reduction in gross profit into the impact on change in Gross Profit by
 - 1) by change in variable cost ΔV
 - Or change in dollar markup, ΔD
 - 2) by change in quantity sold ΔQ

- Impact analysis has the big advantage of converting the impact of changing quantity sold into changing dollars of profit
- Dollars of Impact are Directly comparable with other direct dollar changes on profits

Remember Impact Analysis

$$\text{Equation: } \Delta G = I\Delta Q + I\Delta D + J$$

- ΔG = Change in Gross Profit
- $I\Delta Q$ = Impact of Change in Quantity
- $I\Delta D$ = Impact of Change in Dollar Markup
- J = the joint or Interactive Impact of the Two Changes (If any)

Remember Impact Analysis
Equation: $\Delta G = I\Delta Q + I\Delta D + J$

- ΔG = Change in Gross Profit
 $\Delta G = \$4,800 - \$5,000 = -\$200$
- $I\Delta Q$ = Impact of Change in Quantity
 $I\Delta Q = D_{min1,2}(Q2-Q1) = \$50(80-100) = -\$1,000$
- $I\Delta D$ = Impact of Change in Dollar Mark up
 $I\Delta D = Q_{min1,2}(D2-D1) = 80(\$60-\$50) = \800
- J = the joint or Interactive Impact of the Two Changes (If any)
 $J = \Delta G - I\Delta Q - I\Delta D = -\$200 - (-\$1,000) - \$800 = 0$

- **Why do I have to memorize this “Flaming Formula” for Impact Analysis?**
- I could just put one change at a time into the spreadsheet and see the impact of each individual change.
- Add up the individual changes and I get the total change to net profit

- If there is a single change in an operating statement from period to period then the impact of the change on the bottom line is often easy to measure and understand

- Let us Pretend That there was no change in the marketing Expense and sales remained at 100 units in period 2
- A Decrease in the Variable Cost per Unit by \$10 Increases Gross Profit and the Net profit by \$1,000

Change in Variable Cost per Unit Improves profit by \$1,000

	Period 1, P1	Period 2, P2	$\Delta = P2 - P1$
Selling Price, P	\$90	\$90	\$0
Quantity Sold, Q	100	100	0
Revenue, $R = P \times Q$	\$9,000	\$9,000	\$0
Variable Cost, V	\$40	\$30	(\$10)
\$ Markup, $D = P - V$	\$50	\$60	\$10
COGS = $V \times Q$	\$4,000	\$3,000	(\$1,000)
Gross Profit, $G = R - COGS$	\$5,000	\$6,000	\$1,000
Marketing Expense, ME	\$2,000	\$2,000	\$0
Marketing Profit, M	\$3,000	\$4,000	\$1,000
General Overheads, OH	\$500	\$500	\$0
Net Profit, Z	\$2,500	\$3,500	\$1,000

- Let us pretend that the change in variable cost did NOT happen and The marketing expense was reduced by \$150
- The decrease in quantity sold of 20 units results in an decrease in Gross profit of \$1,000 and a decrease in Net profit of \$850

Change in Marketing Expense Reduces profit by \$850

	Period 1, P1	Period 2, P2	$\Delta = P2 - P1$
Selling Price, P	\$90	\$90	\$0
Quantity Sold, Q	100	80	(20)
Revenue, $R = P \times Q$	\$9,000	\$7,200	(\$1,800)
Variable Cost, V	\$40	\$40	\$0
\$ Markup, $D = P - V$	\$50	\$50	\$0
COGS = $V \times Q$	\$4,000	\$3,200	(\$800)
Gross Profit, $G = R - COGS$	\$5,000	\$4,000	(\$1,000)
Marketing Expense, ME	\$2,000	\$1,850	(\$150)
Marketing Profit, M	\$3,000	\$2,150	(\$850)
General Overheads, OH	\$500	\$500	\$0
Net Profit, Z	\$2,500	\$1,650	(\$850)

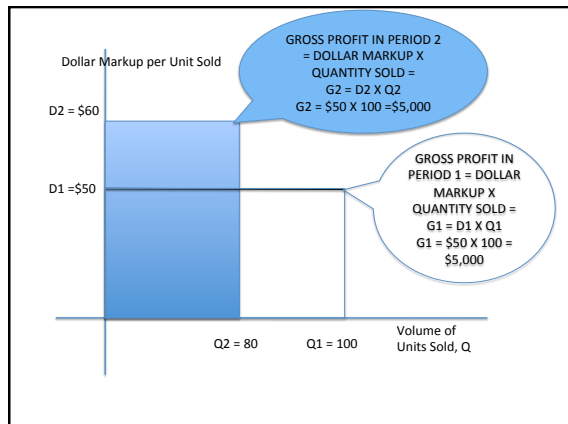
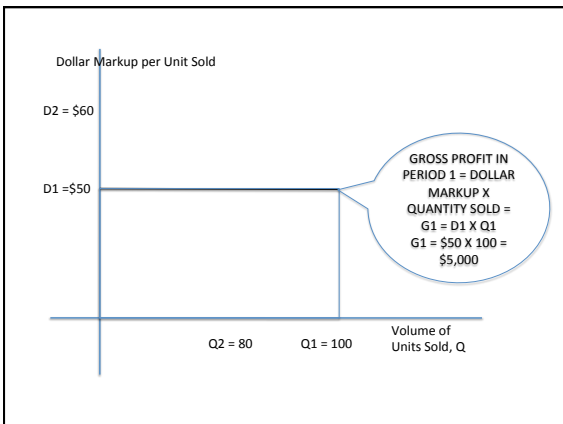
Change in Variable Cost Reduces profit by \$50

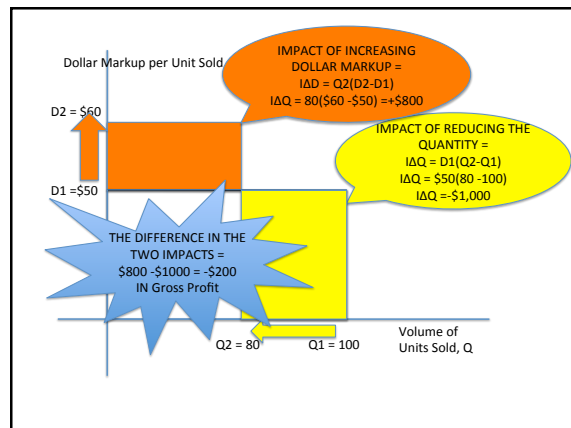
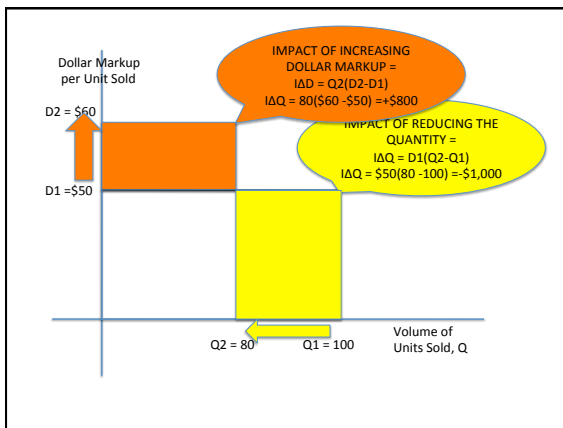
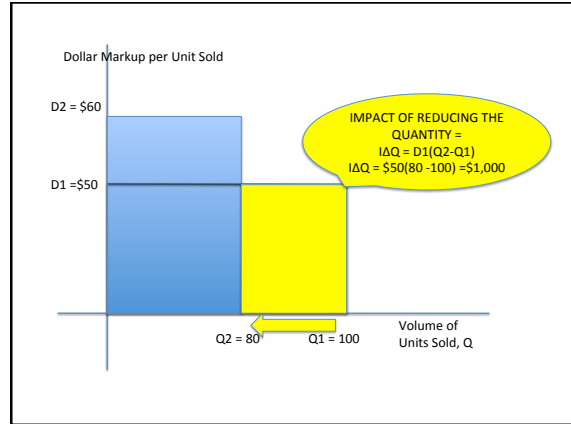
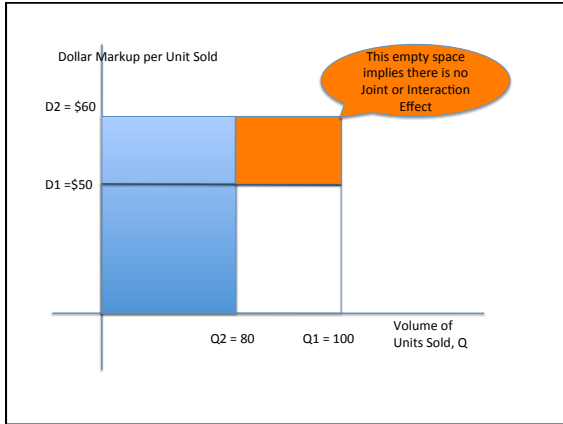
	Period 1, P1	Period 2, P2	$\Delta = P2 - P1$
Selling Price, P	\$90	\$90	\$0
Quantity Sold, Q	100	80	(20)
Revenue, $R = P \times Q$	\$9,000	\$7,200	(\$1,800)
Variable Cost, V	\$40	\$30	(\$10)
\$ Markup, $D = P - V$	\$50	\$60	\$10
COGS = $V \times Q$	\$4,000	\$2,400	(\$1,600)
Gross Profit, $G = R - COGS$	\$5,000	\$4,800	(\$200)
Marketing Expense, ME	\$2,000	\$1,850	(\$150)
Marketing Profit, M	\$3,000	\$2,950	(\$50)
General Overheads, OH	\$500	\$500	\$0
Net Profit, Z	\$2,500	\$2,450	(\$50)

The original Operating Statement has a \$200 reduction in gross profit which is the same as we get adding the individual impacts together!!!

- If I add up the impact **I think** I should get the actual change in gross profit and net profit when both changes are made.
- Change in Gross Profit due to change in Variable Cost was +\$1,000
- Change in Gross profit due to change in Volume sold was -\$1,000
- Net Change in Gross Profit is predicted to be \$1,000 - \$1,000 = 0
- The actual change in Gross profit was -\$200

- The Reason you don't just add up the changes on spreadsheet from making changes one at a time is
- Because you can get the **WRONG ANSWER!**





Identifying and Measuring the Joint Impact of Changing Two Variables

Ted Mitchell

- In Theory There are Three Steps in The Process of Working With a Potential Joint Impact
- 1) Identifying the Existence of a Joint Impact
- 2) Measuring the Size of the Joint Impact
- 3) Allocating the Joint Impact to the Two Independent impacts

- Consider the how a firm's sales volume can be impacted by changes in the firm's market share and the size of the total market Assume a firm had an increase
- 1) in its market share from 20 to 25%
- 2) in the size of the total market of 400 to 500 units sold by the industry
- Both Events will increase the firm's sales
- Classic Problem: How much of the increased sales was due to the improved market share?

Table with Changes in Share, Size and Sales

	Period 1, P1	Period 2, P2	$\Delta = P2 - P1$	
Total market Size, T	400 units	500 units	$\Delta T = 100$ units	
Market Share, S	0.20	0.25	$\Delta S = 0.05$	
Joint Impact, J				
Firm's Sales Volume, Q = S x T	80 units	125 units	$\Delta Q = 45$ units	

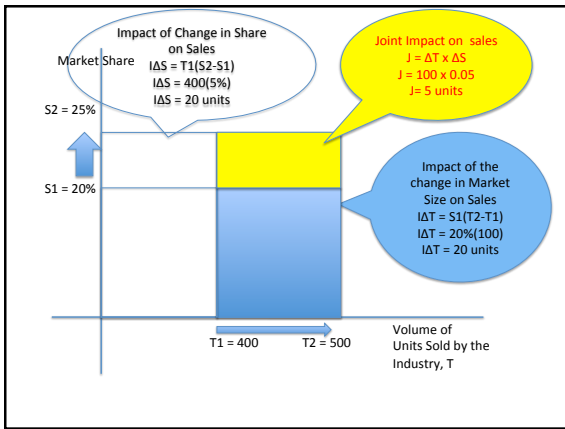
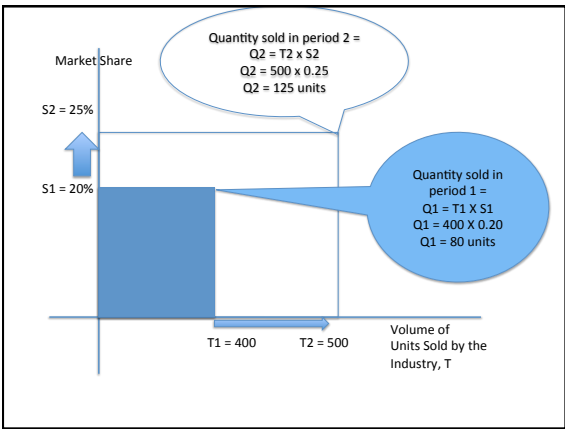


Table with measuring the Impact of $I\Delta T$, $I\Delta S$ and J on ΔQ

	Period 1, P1	Period 2, P2	$\Delta = P2 - P1$	Impact of Change, $I\Delta$
Total market Size, T	400 units	500 units	$\Delta T = 100$ units	$I\Delta T = S1(\Delta T) = 0.2(100) = 20$
Market Share, S	0.20	0.25	$\Delta S = 0.05$	$I\Delta S = T1(\Delta S) = 400(0.05) = 20$
Joint Impact, J				$J = \Delta Q - I\Delta T - I\Delta S$ $J = 45 - 20 - 20$ $J = 5$
Firm's Sales Volume, Q = S x T	80 units	125 units	$\Delta Q = 45$ units	$\Delta Q = I\Delta T + I\Delta S + J$ $\Delta Q = 20 + 20 + 5$ $\Delta Q = 45$ units

- ### Rules for Identification and Measurement of Joint Impact
- If the $\Delta T \times \Delta S$ is a positive number, then a joint impact exists, $J \neq 0$
 - If the $\Delta T \times \Delta S$ is a negative number, then the joint impact is zero, $J = 0$
 - The size and direction of the Joint Impact, J is measured as
 $J = \Delta Q - I\Delta T - I\Delta S$
 (This will equal zero if there is no joint impact)

Allocating Joint Impact

- For the purposes of calculating and awarding bonuses or blame for the impact of changes, it is sometimes necessary to allocate the joint impact between the independent impacts

For example

- The Marketing manager has been promised a bonus for increasing the firm's market share
- The calculation of the bonus is to be based on the change in sales due to the change in market share
- The total change in sales is the independent impact of the change in market share and a proportional amount of the joint impact

- The change in sales due to the impact of the change in market share was 20 units
- The change in sales due to the impact in market size was 20 units
- The two impacts were in a 1-to-1 proportion and the joint impact of 5 units is divided in the same proportion as the independent impacts
- The marketing manager gets credit for increasing the sales volume by $20 + 50\%(5) = 22.5$ units